

# DAMPING SPURIOUS HARMONIC RESONANCES IN THE APS STORAGE RING BEAM CHAMBER\*

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## Abstract

The APS storage ring beam chamber has been storing the beam up to 100 mA successfully. However, in some beam chambers, spurious signals corrupted the BPM outputs. The cause of the unwanted signals was investigated, and it was found that transverse electric (TE) longitudinal harmonic resonances of the beam chamber were responsible. The beam chambers have small height in the area between the oval beam chamber and the antechamber. The structure behaves like a ridge waveguide so that the cut-off frequency of the waveguide mode becomes lower. The pass-band then includes the frequency around 350 MHz that is important to the beam position monitors (BPMs). The spurious harmonic resonances are damped with two types of dampers to restore the useful signals of the BPMs; coaxial loop dampers and lossy ceramic slab loading are used.

## 1 INTRODUCTION

Since the commissioning of the Advanced Photon Source in 1995, significant progress has been made in the area of beam stabilization [1,2]. A mystery that has only recently been solved was connected with the observation that systematic errors in beam position monitor (BPM) readbacks have historically been an order of magnitude greater for vertical readbacks than for horizontal. Considering that the BPM monopulse rf receiver electronics multiplexes between horizontal and vertical readings on alternate turns, and that the horizontal and vertical difference signals are computed in real time by rf hybrids in the tunnel, it was difficult to attribute the observations to an electronics malfunction.

After a substantial effort to exonerate the electronics as the culprit, including various combinations of cable swapping, other causes were investigated. Among these was a suspected mechanical instability in the storage ring vacuum chamber (Figure 1). Certain misbehaving units demonstrated step-like behavior at the 150-micron scale. A dial indicator with remote camera display was used in several arrangements to show that the sudden step change in vertical BPM readback was not correlated with vertical vacuum chamber motion. At wit's end, a network analyzer was used to measure the transmission of rf power in the frequency band near the ring rf frequency of 351.93 MHz, from one end of the suspect chamber to the other using the BPM pickup electrodes mounted at

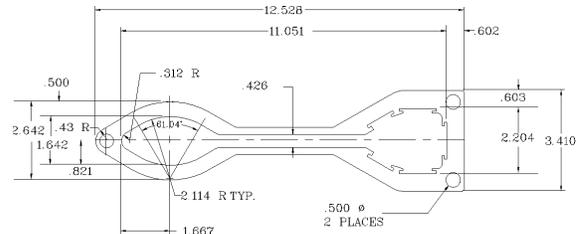


Figure 1: Storage ring vacuum chamber cross section (dimensions shown are inches)

opposite ends of the vacuum chamber. It has been known that the cut-off frequency for the storage ring vacuum chamber was above 1 GHz for TM modes, well outside the 20-MHz band centered on 352 MHz where the rf BPMs are sensitive. The result of the measurement, however, was that several resonance lines with Qs of the order of 1000 were discovered near 352 MHz. Simulations indicated that these “rogue” microwave modes were similar to TE<sub>01</sub> waveguide modes. The electric field for these modes is oriented vertically with magnetic field lines circulating parallel to the beam in the beam chamber (the left-hand portion of Figure 1) and returning back on the right hand portion of the chamber (the antechamber), where nonevaporable getter (NeG) vacuum pumping strips are mounted. The vertical electric field orientation explained why only vertical BPM readbacks were affected.

The chamber design and rf analysis for beam-induced transverse magnetic (TM) modes appeared in Refs. [3][4]. Because the beam chamber and antechamber are connected through a narrow channel with a small height, the vacuum chamber resembles a ridged waveguide. The area with a small height introduces a large capacitive loading that lowers the cut-off frequency for TE<sub>01</sub>-like modes of the chamber in comparison to a rectangular waveguide having the same width.

Investigations of damping systems to suppress the unwanted resonances in the chambers without major mechanical modification were conducted. Computer simulations and bench measurements were made to find an optimal solution. The use of matched load terminated coaxial loop antennas, lossy ceramic tiles, and the introduction of shorting bars inside chambers were considered. Because shorting bars would intercept synchrotron radiation and require cooling, only the coaxial dampers and lossy ceramics were tested. Measurements with beam were conducted using the coaxial damper option.

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## 2 SIMULATION

The wavelength in a hollow waveguide satisfies the relationship:

$$f = c [1 + (\lambda_g / \lambda_c)^2]^{1/2} / \lambda_g$$

where  $c$  is the speed of light in free space,  $\lambda_c$  is the cut-off wavelength, and  $\lambda_g$  is waveguide wavelength. Using chamber length  $L = 4.81$  m and  $\lambda_g = 2L/N$  ( $N=1,2,3,\dots$ ), the resonance frequencies can be estimated. The chambers showing the largest effect are slightly curved, and are installed in the gap of the storage ring dipole magnets. The first resonance is the one closest to the cut-off frequency of the waveguide. The waveguide wavelengths for these lower-order modes are much longer than free space wavelengths.

A MAFIA code simulation was used for the chamber model to check the harmonic resonances and ensure the damping schemes worked properly. Table 1 lists the first ten excited resonances in the chamber. The structure was approximated as a straight chamber since the curvature is small compared to the chamber's bending radius. The NeG strips were not included in the simulations. The results show that the frequency spacing increases as predicted above. Three matched-load coaxial probes mounted in the antechamber (right-hand side of Figure 1) using loop antennae mounted in existing vacuum ports were simulated with results also shown in Table 1.

Table 1: Calculated resonance frequencies and Q-factors of the chamber modes without and with the coaxial dampers

#	Bare Chamber		With Three Coaxial Dampers	
	Freq (MHz)	Q	Freq (MHz)	Q
1	324.0	3846	310.4	351
2	328.3	3931	313.9	249
3	335.3	4019	323.3	718
4	345.0	4193	332.6	390
5	356.9	4339	343.2	186
6	371.1	4544	357.7	202
7	387.1	4743	373.6	221
8	404.8	4909	390.7	120
9	424.0	5117	407.7	65
10	444.5	5320	426.5	108

The simulation showed that damping with coaxial probes can be a factor of ~10 at around 350 MHz. This was considered helpful but not sufficient to eliminate the problem. Therefore, slabs of rf absorbing material were used in the chamber slot area for further damping. Simulations were made with the ceramic material to see the damping performance and to optimize the position of the slabs inside the chamber.

Table 2 gives calculated resonance frequencies and Q factors for chamber modes in the presence of a 5 cm × 5 mm × 25 cm slab of lossy dielectric material placed in the "slot" region of a vacuum chamber at a distance  $d$  from the upstream end. This portion of the vacuum chamber is "shadowed" from synchrotron radiation. Note that the calculated Q-factors become very low and do not depend strongly on the dimension  $d$ . Since the ceramic damping dominates, the addition of coaxial dampers makes very little difference. Also note that the lower mode frequencies become even lower with the ceramic slab loading.

Table 2: Calculated chamber resonance frequencies and Q factors in the presence of lossy dielectric slabs

#	Ceramic Damper, d=0.25m		Ceramic Damper d=0.5m	
	Freq (MHz)	Q	Freq (MHz)	Q
1	132.6	2.7	131.7	2.8
2	226.8	2.8	225.2	3.0
3	327.5	144.5	327.6	54.0
4	331.8	13.2	331.2	5.86
5	335.9	5.3	335.3	9.3
6	342.7	18.5	344.3	36.0
7	353.9	51.8	357.0	74.7
8	368.1	86.7	372.7	103.3
9	384.6	102.5	391.0	95.7
10	403.2	81.5	410.7	37.8

The rf absorbing material was chosen to be vacuum compatible, stable, and efficient for damping. Good thermal conductivity was also desired. A few different types of lossy dielectric material were considered. Aluminum nitrite (AlN) with a high content of silicone carbide (SiC) was chosen for its properties that satisfy the above requirements. The most important material properties for our application are summarized in Table 3.

Table 3: Mechanical and electrical properties of the ceramic, AlN with 40% SiC

Thermal Conductivity (W/m <sup>2</sup> K)	120
Expansion Coefficient (10 <sup>-6</sup> /°C)	~ 4
Dielectric Constant (ε <sub>r</sub> )	~ 30
Loss Tangent (tan δ)	~ 0.4

## 3 MEASUREMENT

Resonance frequencies and Q factors in a spare beam chamber were measured and compared with the simulation values shown in Table 1. The measurement was repeated with the addition of coaxial dampers on the 1.4" antechamber ports of the spare chamber. A vector network analyzer was used to measure transmission between BPM pickup electrodes mounted at opposite ends of the chamber. A four-channel rf 180-degree rat-race hybrid was used at one end of the chamber to drive the top two button pickups out of phase from the bottom

two, coupling to the vertical electric field. The transmission coefficient  $S_{21}$  from the hybrid “vertical” port to a single button at the opposite chamber end is shown in Figures 2 and 3. The peaks of the coupled modes are not constant since the coupling of the different modes to the BPM buttons is not uniform.

Note that the calculated Q factors are much higher than the measured values shown in Figure 2. A possible explanation is that the NeG strips were not included in the model. The NeG strips are located in the antechamber where the magnetic field dominates so that the surface loss becomes greater, damping the resonances significantly. Figure 3 shows the same measurement with two coaxial dampers mounted in the antechamber.

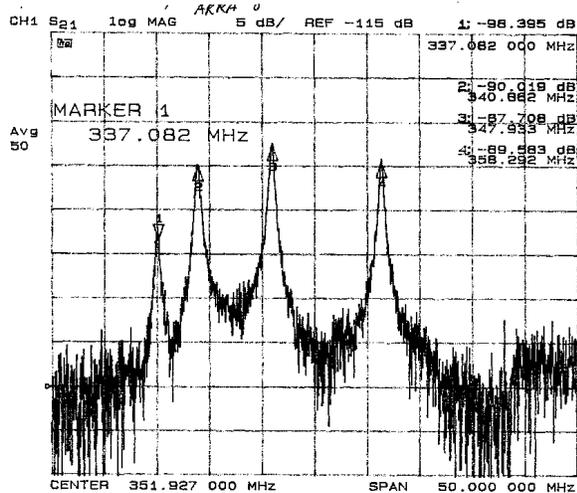


Figure 2: Resonances in a chamber with NeG strips

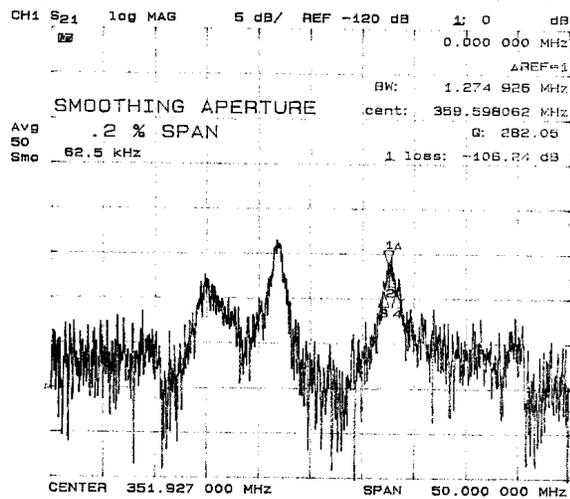


Figure 3: Resonances in a chamber with two coaxial dampers and NeG strips

Shown in Figure 4 is a single-bunch beam spectrum taken from the vertical difference output of a four-channel rf hybrid connected at a BPM pickup location where this mode was causing severe problems.

A single bunch was used because of its extremely simple spectrum, namely a series of uniformly spaced

spectral lines of equal amplitude, with 271-kHz spacing (the APS revolution frequency). The two data sets shown in Figure 4 were collected five months apart, the control set (top) employing a broad-band hybrid, while the “after” data set (bottom) used the standard BPM hybrid that includes a 20-MHz bandwidth bandpass filter on the output. The degree to which the spectral lines in the broad-band data differ in amplitude is a measure of the impact of the chamber resonance. The feature centered near the 352-MHz rf frequency was responsible for pathological BPM behavior and was substantially suppressed by the single probe installed (the other available vacuum ports on that chamber were being used for vacuum diagnostics).

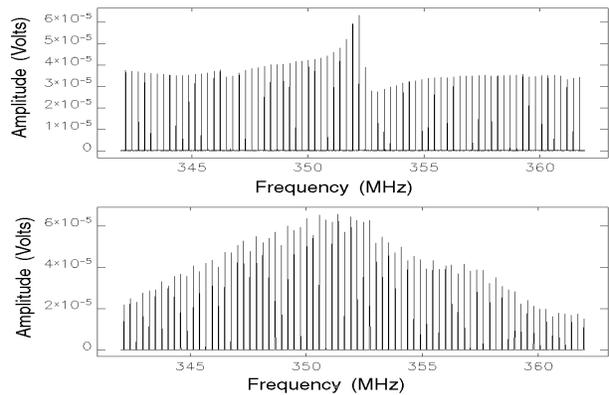


Figure 4: BPM signal without dampers (top), and with one coaxial damper (bottom, 20 MHz band limited)

## 4 CONCLUSIONS

A set of microwave modes that are present in APS vacuum chambers and have significant impact on vertical BPM performance have been discovered. Solutions to damp these modes include coaxial dampers and the introduction of lossy dielectric material. The coaxial damper solution has been successfully employed with beam; however, the lossy dielectric approach promises better damping of more modes. Research into viable installation configurations is ongoing.

## 5 ACKNOWLEDGEMENT

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